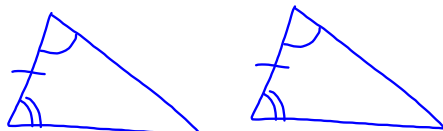
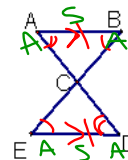


## 4-5 ASA, AAS, and HL

Postulate 4.3 ASA-If 2 angles and the included side of one  $\triangle$  are  $\cong$  to 2 angles and the included side of another triangle, then the triangles are  $\cong$ .

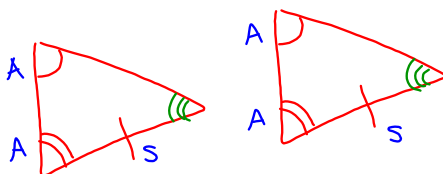


Given:  $\overline{AB} \parallel \overline{ED}$ ;  $\overline{AB} \cong \overline{ED}$   
 Prove:  $\triangle ABC \cong \triangle DEC$

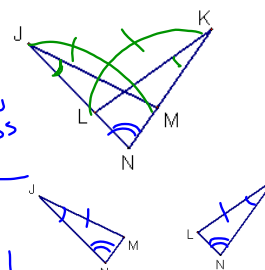


<p><u>S</u></p> <p>① <math>\overline{AB} \parallel \overline{ED}</math>; <math>\overline{AB} \cong \overline{ED}</math></p> <p>② <math>\angle B \cong \angle E</math>  <math>\angle A \cong \angle D</math></p> <p>③ <math>\triangle ABC \cong \triangle DEC</math></p>	<p><u>R</u></p> <p>① Given</p> <p>② If <math>\parallel</math>, alt.int. <math>\angle</math>s <math>\cong</math></p> <p>③ ASA</p>
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Theorem 4.5 AAS-If 2 angles and a non-included side of one  $\triangle$  are  $\cong$  to 2 angles and a non-included side of another  $\triangle$ , then the  $\triangle$ s are  $\cong$ .



Given:  $\angle K \cong \angle J$ ;  $\overline{KL} \cong \overline{JM}$   
 Prove:  $\overline{LN} \cong \overline{MN}$

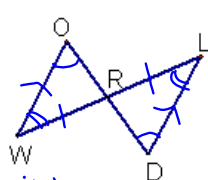


Redraw the 2  $\triangle$ s

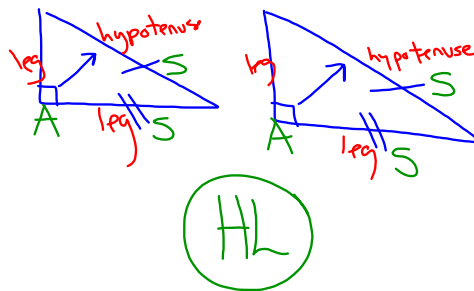
<p><u>S</u></p> <p>① <math>\angle K \cong \angle J</math>; <math>\overline{KL} \cong \overline{JM}</math></p> <p>② <math>\angle N \cong \angle N</math></p> <p>③ <math>\triangle KLN \cong \triangle JMN</math></p> <p>④ <math>\overline{LN} \cong \overline{MN}</math></p>	<p><u>R</u></p> <p>① Given</p> <p>② Refl.</p> <p>③ AAS</p> <p>④ CPCTC</p>
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Given:  $\overline{WO} \parallel \overline{LD}$ ; R is the midpoint of  $\overline{WL}$   
 Prove:  $OR \cong DR$

S.	R.
① $\overline{WO} \parallel \overline{LD}$ R is mpt of $\overline{WL}$	① Given
② $\overline{WR} \cong \overline{RL}$	② def of midpt
③ $\angle W \cong \angle L$ $\angle O \cong \angle D$	③ If $\parallel$ , alt int $\angle s \cong$
④ $\triangle WOR \cong \triangle LDR$	④ AAS
⑤ $\overline{OR} \cong \overline{DR}$	⑤ CPCTC



HL (Hypotenuse-Leg)-If the hypotenuse and a leg of one right  $\triangle$  are  $\cong$  to the hypotenuse and one leg of another right  $\triangle$ , then the  $\triangle s$  are  $\cong$ . (p.215)



HW

p. 210-211 #s 4, 5, 7, 9, 11

(supp. Of  $\cong \angle s$  are  $\cong$ )